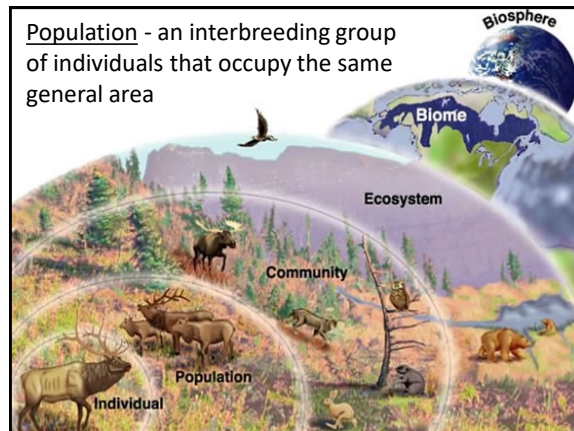


POPULATION ECOLOGY



1

Population - an interbreeding group of individuals that occupy the same general area



2

Population Characteristics

- There are three characteristics that all populations have:

- 1) population density,
- 2) spatial distribution,
- 3) and growth rate.



3

1. Population Density

- Refers to the number of individuals in relation to the space

Population Density = # of individuals / unit area

4

Example: What is the density of a rabbit population of 200 living in a 5 km² range?



Solution:

Population Density = # of individuals / unit area

5

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Solution:

Population Density = # of individuals / unit area

Population Density = 200 rabbits / 5 km²

6

Example: What is the density of a rabbit population of 200 living in a 5 km² range?



Solution:

Population Density = # of individuals / unit area

Population Density = 200 rabbits / 5 km²

Population Density = 40 rabbits / km²

7

- Population density changes over time
- For populations that are studied over a period of years this change can be calculated

Rate of Change = $\frac{\text{Change in Density}}{\text{Change in Time}}$

8

Example:

In 2000 the rabbit population density was 40 rabbits / km². By 2010 the rabbit population density was 112 rabbits / km². Calculate the Rate of Change.



Solution:

$$\text{Rate of Change} = \frac{\Delta D}{\Delta T}$$

9

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In 2000 the rabbit population density was 40 rabbits / km². By 2010 the rabbit population density was 112 rabbits / km². Calculate the Rate of Change.



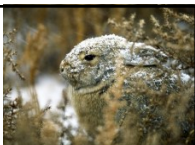
Solution:

$$\begin{aligned} \text{Rate of Change} &= \frac{\Delta D}{\Delta T} \\ &= \frac{112 - 40}{2010 - 2000} \end{aligned}$$

10

Example:

In 2000 the rabbit population density was 40 rabbits / km². By 2010 the rabbit population density was 112 rabbits / km². Calculate the Rate of Change.



Solution:

$$\begin{aligned} \text{Rate of Change} &= \frac{\Delta D}{\Delta T} \\ &= \frac{112 - 40}{2010 - 2000} \\ &= \frac{72}{10} \end{aligned}$$

11

Example:

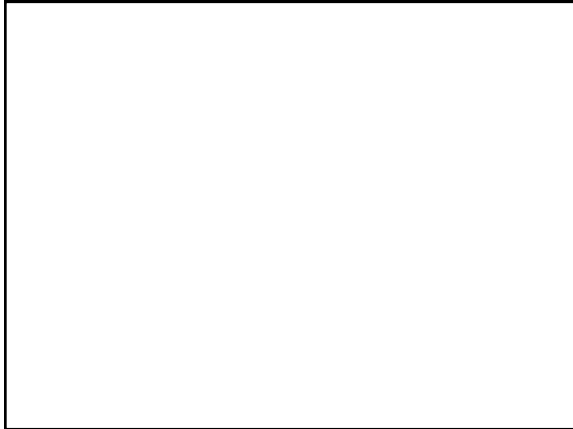
In 2000 the rabbit population density was 40 rabbits / km². By 2010 the rabbit population density was 112 rabbits / km². Calculate the Rate of Change.



Solution:

$$\begin{aligned} \text{Rate of Change} &= \frac{\Delta D}{\Delta T} \\ &= \frac{112 - 40}{2010 - 2000} \\ &= \frac{72}{10} \\ &= 7.2 \text{ rabbits / year} \end{aligned}$$

12

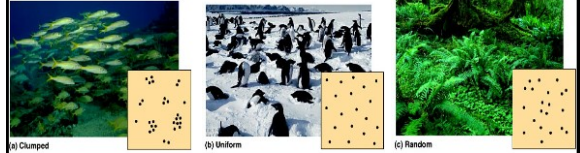


13

2. Spatial Distribution

- Refers to the pattern of spacing of a population within an area

- 3 types:



14

- Results from dispersion – the spreading of organisms from one area to another
- Most often due to the resource availability (which may be limited due to mountains, oceans, canopy level, or even behavior!)

15

How do you know how many organisms make up a population?



16

We count them!



17

But what about...?



18

Population Estimation

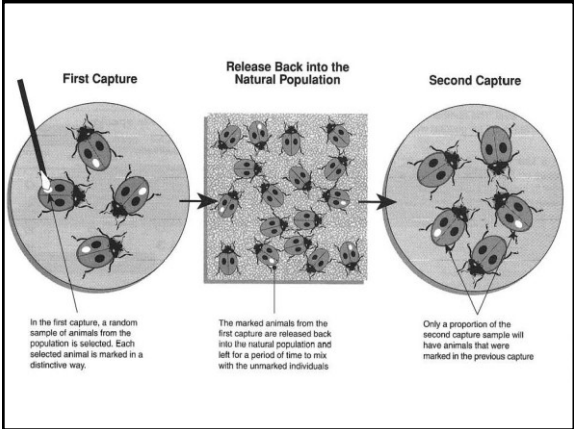
- When the number of organisms in a population is hard to count, scientists estimate the total population size
- They do this by first sampling the population and then calculating a population size based on the data
- There are 2 main methods: Mark-Recapture
Random Sampling

19

1. Mark-Recapture Sampling

- Also called 'tagging'
- A sample of organisms is captured and marked and then returned unharmed to their environment
- Over time, the organisms are recaptured and data is collected on how many are captured with marks

20



21

- Best for mobile populations, such as fish and birds

- Problems occur when no marked organisms are captured

22

2. Random Sampling (Quadrat)

- Also called 'quadrat' sampling
- The number of organisms within a small area is counted.
- A sampling frame (quadrat, usually 1m²) is used to count the individuals in a mathematical area





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- The plots are often placed randomly throughout the sampling area (or if a grid system is used, then plots are chosen at random).
- Population size and density are then estimated based on the plot representation.

24

- Best for large stationary populations, such as trees or coral

- Problems occur when random sampling is not followed

25



26

Using Random Sampling:

- Find the average # of individuals in the areas you sampled.

$$\text{Average} = \frac{\text{Total \# of Individuals}}{\text{\# of Sample Plots}}$$
- Multiply the average by the # of plots to find the population estimate.

$$\text{Estimate} = \text{Average} \times \text{\# of Plots Total}$$

27

Example: Random sampling was used to count the number of silver maple trees in the forest. The number of trees counted in the grid is shown below.

5			3
	4	4	
		1	

28

2. Random Sampling (Quadrat)

Solution: 1. Find the average # of individuals in the areas you sampled.

$$\text{Average} = \frac{\text{Total \# of Individuals}}{\text{\# of Sample Plots}}$$

$$= \frac{5+4+4+3+1}{5}$$

$$= 3.4 \text{ trees / plot}$$

5			3
	4	4	
		1	

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3. Growth Rate

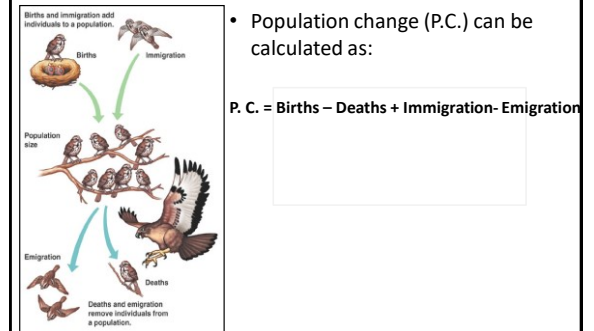
- Refers to how fast a population grows and is expressed as a percentage
- Population Growth Rate can be calculated as:

$$\text{Growth Rate} = \frac{\text{Population Change}}{\text{Initial Population}} \times 100$$

30

- 4 factors determine how a population changes:
 1. Natality (birth rate)
 2. Mortality (death rate)
 3. Immigration (individuals moving into a population)
 4. Emigration (individuals moving out of a population)

31



- Population change (P.C.) can be calculated as:

$$P. C. = \text{Births} - \text{Deaths} + \text{Immigration} - \text{Emigration}$$

32

Example: Calculate the population change in a wolf pack where the wolves experience the birth of 3 pups, the death of a lone wolf, and 1 wolf leaving the pack. No animals moved into the pack.

Solution: Population Change
= Births – deaths + immigration - emigration

33

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= 3 – 1 + 0 – 1

34

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Solution: Population Change
= Births – deaths + immigration – emigration
= 3 – 1 + 0 – 1
= 1 wolf

35

The pack originally had 15 wolves. What is the Population Growth Rate for this wolf pack?

Solution:
Population Growth Rate= $\frac{\text{Population Change}}{\text{Initial Population}} \times 100$

36

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Solution:

$$\text{Population Growth Rate} = \frac{\text{Population Change}}{\text{Initial Population}} \times 100$$

$$= \frac{1 \text{ wolf}}{15 \text{ wolves}} \times 100$$

37

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Solution:

$$\text{Population Growth Rate} = \frac{\text{Population Change}}{\text{Initial Population}} \times 100$$

$$= \frac{1 \text{ wolf}}{15 \text{ wolves}} \times 100$$

$$= 0.0667 \times 100$$

38

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Solution:

$$\text{Population Growth Rate} = \frac{\text{Population Change}}{\text{Initial Population}} \times 100$$

$$= \frac{1 \text{ wolf}}{15 \text{ wolves}} \times 100$$

$$= 0.0667 \times 100$$

$$= 6.67\%$$

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